## Chapter 15: Derivatives

What you need to KNOW
\(\left.$$
\begin{array}{|l|l|l|}\hline \text { Big Idea } & \text { What you use } & \text { An example } \\
\hline \begin{array}{l}\text { Know the limit } \\
\text { definition of a } \\
\text { derivative }\end{array} & & \begin{array}{l}\text { Find the formula for the slope of a secant line from time } \mathrm{x} \text { to time } \mathrm{x}+\Delta x \text { for the } \\
\text { function } f(x)=2 x-3 . \text { Show work. }\end{array} \\
\hline \begin{array}{l}\text { Know some } \\
\text { basic physics }\end{array} & \begin{array}{l}\text { If you see "average velocity from } \\
\text { time a to time b", then that is the } \\
\text { slope, the average rate of change } \\
\text { between given points. } \\
\text { Position }\end{array} & \begin{array}{l}\text { The height of an object at t seconds with initial velocity of } 50 \text { ft/sec is given by } \\
h(t)=50 t-16 t^{2} .\end{array}
$$ <br>

a. find the average rate of change from time 2 seconds to 4 seconds\end{array}\right\}\)| Instantaneous Velocity |
| :--- |
| b. What is the formula for instantaneous velocity of the object? Use the |
| formula to find the velocity of the ball at 3 seconds. |


| Big Idea | What you use | An example |
| :--- | :--- | :--- |
| Write an <br> equation for a <br> tangent line for <br> a function at a <br> particular point |  | Write the equation of the tangent line for the function <br> $f(x)=2 x^{3}-3 x^{2}-10 x \quad$ at $x=3$. <br> Show all work in determining this equation. |


| Big Idea | What you use | An example |
| :---: | :---: | :---: |
| Derivative basics |  | Using your knowledge of derivatives, answer the following questions: <br> a. What is a tangent line and what does it tell you? <br> b. What is a secant line? <br> c. What is instantaneous velocity and how do you find it? <br> d. What is instantaneous acceleration and how do you find it? <br> e. The derivative function is really the $\qquad$ function of the original function. <br> f. The $\qquad$ of the derivative are the $\qquad$ points of the original function. <br> Given the function $f(x)=6 x^{7}-9 x^{4}+3 x^{2}+2$, find $f^{\prime}(x)$ and $f^{\prime \prime}(x)$. |
| Product Rule |  | $f(x)=(2 x-4) \sin x$ |


| Big Idea | What you use | An example |
| :--- | :--- | :--- |
| Quotient Rule |  | $f(x)=\frac{2 x-7}{e^{x}}$ |
| Product and |  |  |
| Quotient Rule |  |  |


| Big Idea | What you use | An example |
| :--- | :--- | :--- |
| Chain Rule |  | $f(x)=\cos \left(x^{2}-4\right)$ |

